

Discussion of:

Open Market Operations

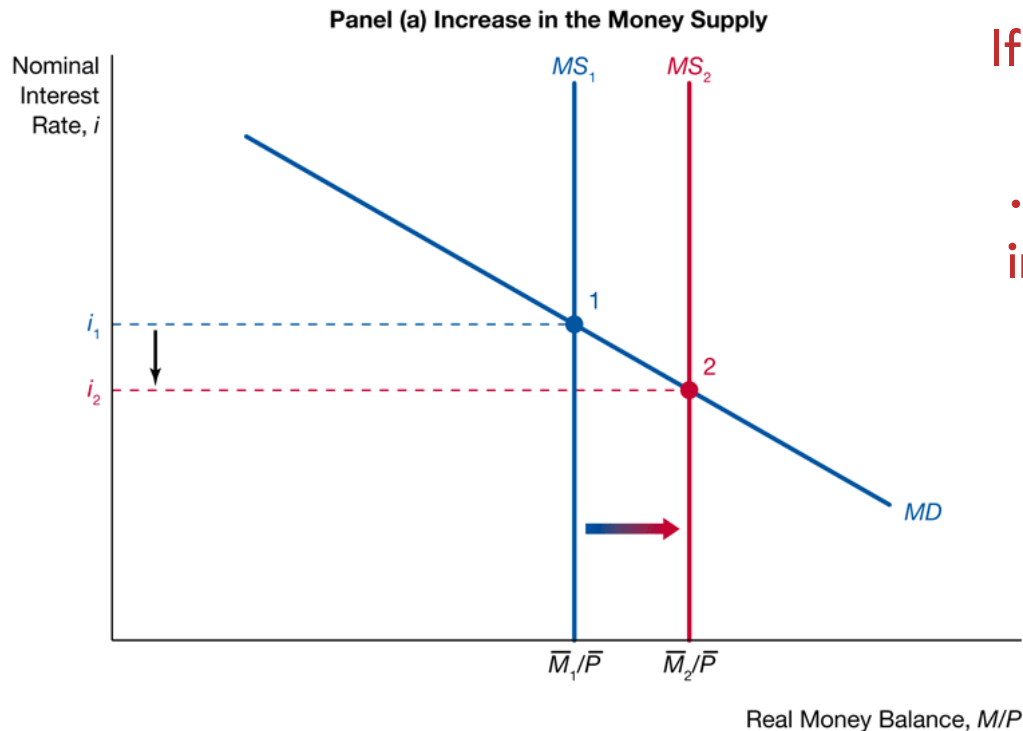
by G. Rocheteau, R. Wright, and S.X. Xiao

Todd Keister
Rutgers University

ITAM-PIER Conference on Macroeconomics
August 22, 2015

The issue

- ▶ What are the effects of an open market purchase?
 - ▶ central bank buys government bonds, pays with newly-created currency
- ▶ Undergraduate textbook story:

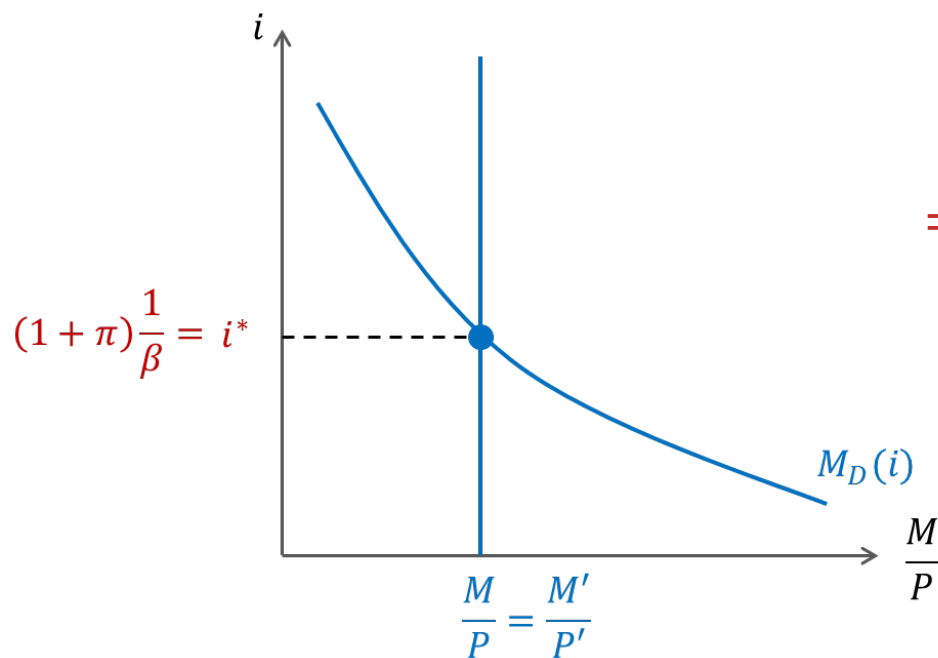


If P does not change ...

... real money balances increase and ...

the nominal interest rate must fall to convince agents to hold more real balances

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- ▶ But ... why should P remain constant?
 - ▶ isn't the point of monetary policy to affect the price level (and inflation)?
 - ▶ In a standard GE model, the price level moves one-for-one with M
 - ▶ the quantity "theory" of money



⇒ open market purchase
is completely neutral

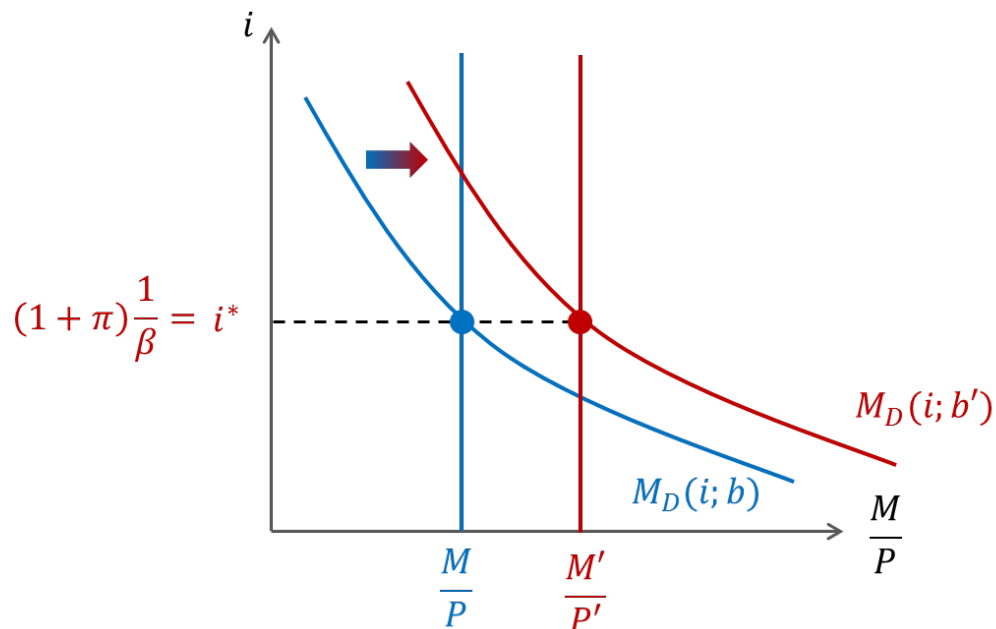
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- ▶ There is a large literature on possible resolutions of this “puzzle”
 - ▶ Price rigidities from various sources, segmented markets, distributional issues, etc.
 - ▶ Suppose that, for whatever reason, we do not want to take that route
 - ▶ want P determined in a Walrasian market with complete participation and flexible prices
 - ▶ Could open market operations nevertheless have real effects?
 - ▶ this is (I think) the central question in the paper
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The idea: it's the B side

- ▶ An OMO has two sides (or “legs”)
 - ▶ private sector ends up holding more money (ΔM) following a purchase
 - ▶ **and** fewer bonds (ΔB)
 - ▶ Even if ΔM is neutral, ΔB may generate real effects
 - ▶ Is this a crazy idea?
 - ▶ there is clear evidence that some bonds carry a liquidity premium (that is, have lower yields than other, similar bonds)
 - ▶ seems plausible that the size of this premium could be related to quantity
 - ▶ WSJ and others have claimed that Fed asset purchases have created a “squeeze” in the shadow banking system
 - ⇒ seems worth investigating
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Results

- ▶ OMOs can indeed have real effects through ΔB in some situations
 - ▶ depends on the scarcity of real money balances, bonds
 - ▶ affects exchange involving bonds **and** exchange involving money
- ▶ In the textbook diagram:



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- ▶ The model can generate some interesting patterns, including
 - ▶ negative nominal interest rates
 - ▶ a liquidity trap
 - ▶ incomplete price level adjustment

Comments:

- (1) Negative nominal rates (or, the acceptability of money)
 - (2) The acceptability of bonds
 - (3) Who are these agents? (or, mapping the model to the data)
 - (4) Other actors
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(1) Negative nominal interest rates

- ▶ Have appeared occasionally in U.S. and persistently elsewhere
 - ▶ does the model help us understand what is going on?
 - ▶ The mechanism I have heard people talk about involves bonds as a **store of value**
 - ▶ Suppose you want to save \$100 million overnight (or for a week) and are very risk averse
 - ▶ safeguarding that amount of currency is fairly costly
 - ▶ could deposit in a bank, but it would be uninsured (risky)
- ⇒ You may be willing to hold govt. bonds even at a negative nominal rate
- ▶ note: this argument assumes you do not have an account at the CB
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- ▶ Mechanism in the paper is different
 - ▶ bonds can do something in **exchange** that money cannot
 - ▶ comes from $\alpha_b > 0$ and/or $\chi_b > \chi_m$

Questions:

(i) What is this something?

- ▶ I would like to understand better why a seller might not want cash

(ii) How can we distinguish the two stories?

- ▶ what would be evidence of the mechanism in the model?
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(i) How could bonds be more useful than cash in exchange?

- ▶ Paper mentions collateral for deferred settlement, repos, etc.
 - ▶ but ... if I borrow against collateral or do a repo, I get *cash*
 - ▶ if I need to post collateral in a derivatives trade, I can (usually) *post cash*
 - ▶ Collateralized lending and repos can make bonds almost as good as cash, but I don't understand how they could make it *better*
(of course, there are many things I don't understand)
 - ▶ I would like to hear more details about the Swiss or other examples
 - ▶ might be more comfortable with the case of $\alpha_b > 0$ and/or $\chi_b > \chi_m$ if I understood better what it represents
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(ii) What data would be evidence of the $\alpha_B > 0$ mechanism?

- ▶ The store-of-value explanation makes some predictions
 - ▶ commercial banks (who have an account at the central bank) should not hold bonds with a lower yield than reserves
 - ▶ lower bound on nominal interest rate = $-(\text{cost of storing currency})$
 - ▶ estimated to be $\sim -1\%$ (?)
 - ▶ Violations of either prediction might be evidence of an exchange role for bonds
 - ▶ Does the exchange-role model make testable predictions?
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(2) Acceptability of bonds

- ▶ $\alpha_m > 0 \Rightarrow$ some sellers do not accept bonds
 - ▶ Why not?
 - ▶ paper suggests recognizability and pledgeability as underlying frictions
 - ▶ some sellers can recognize cash, but are not sure if the bond you are offering is valid or not
 - ▶ Are these frictions important for government bonds?
 - ▶ Since 1986, all newly-issued U.S. Treasury securities are in book-entry form
 - ▶ I think the frictions are small (zero?) here
 - ▶ These issues seem more important for other types of securities
 - ▶ the central bank may also use these types of securities in OMOs
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- ▶ Consider an environment with government bonds and private debt
 - ▶ money and Treasury bonds are perfectly recognizable and pledgeable
 - ▶ valid mortgage-back securities (MBS) are risk-free (suppose)
 - ▶ but bad MBS can be produced costlessly
 - ▶ sellers pay a cost κ_i to be able to recognize valid MBS
 - ▶ Straightforward extension of the model (I think)
 - ▶ OMOs can be conducting using either Treasury bonds or MBS
 - ▶ effects of an OMO on prices and allocations depends not only on ΔB , but also on what type of asset is used
 - ▶ might be interesting
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(3) Who are these agents?

- ▶ Much in the previous discussion depends on what, exactly, we consider to be the empirical counterpart of M
 - ▶ My arguments have been loose, but ... I am only a discussant
 - ▶ If the agents in the model are households, then perhaps M is currency
 - ▶ but not many households use bonds for exchange purposes
 - ▶ If they are commercial banks, M is probably reserves (i.e., deposits at the central bank)
 - ▶ nominal interest rate on reserves need not be zero (unlike currency)
 - ▶ 0.25% in the U.S., -0.20% in the Eurozone, -0.75% in Switzerland
 - ▶ the “arbitrage relationship” should be adjusted in this case
 - ▶ if U.S. banks are holding bonds with yield $< 0.25\%$
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- ▶ For non-bank financial firms, I suppose M is a bank deposit
 - ▶ hedge funds, pension funds, money market funds
 - ▶ nominal interest rate need not be zero **and** the deposit can be risky
 - ▶ the “arbitrage relationship” is more difficult to evaluate

 - ▶ **Would it be interesting to have bank deposits circulating in the model?**
 - ▶ there is already a natural role for banks here, allocating money and bonds according to agents’ exchange opportunities
 - ▶ like Champ, Smith, and Williamson (1997), Williamson (2012)
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(4) Other actors

(i) OMOs are not the only source of ΔB

- ▶ in practice, lots of factors affect public debt issuance
- ▶ in normal times, OMOs are small relative to these other factors (I think)
- ▶ might be difficult to detect the effects highlighted here in the data
- ▶ model is perhaps more relevant in recent times with QE, etc.
- ▶ title could be “Large Scale Asset Purchases” rather than “OMOs”?

(ii) Suppose a large agent (China) buys bonds and sits on them

- ▶ A_b decreases
 - ▶ $z_m \uparrow, P \downarrow, q_m \uparrow, q_2 \downarrow, q_b \downarrow, s \uparrow, \phi_b \downarrow, \rho \downarrow$
 - ▶ some of this looks like what people call the “global savings glut”
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